

CLAIMS

What is claimed:

1. A method of manipulating data elements in transposing an array of m rows, each row comprising a plurality of n data elements; the transposition is done along the main diagonal down of the matrix. The method has the following steps:
 - Load the contents of row $R(i)$ of the original matrix into the diagonal up $DH(i)$ of a temporary matrix. Where $i = 0$ to $m - 1$, m is the number of rows in the original matrix.
 - Rotate the contents of every row of the temporary matrix to the right by the value of its row index.
 - Store the contents of $DL(i)$ of the temporary matrix into the row $R(m - i \text{ MOD } m)$ of the original matrix. Where $i = 0$ to $m - 1$
2. The method in claim 1 is modified as follows to perform matrix transpose along the main diagonal down of the matrix. The method has the following steps:
 - Load the contents of row $R(i)$ of the original matrix into the diagonal down $DL(m - i - 1)$ of a temporary matrix. Where $i = 0$ to m , m is the number of rows in the original matrix.
 - Rotate the contents of every row of the temporary matrix to the left by the value of $(i + 1) \text{ MOD } n$.
 - Store the contents of $DH(i)$ of the temporary matrix into the row $R((i + 1) \text{ MOD } m)$ of the original matrix. Where $i = 0$ to $m - 1$
 - The original matrix is transposed.
3. A method of manipulating data elements in transposing an array of m rows, each row comprising a plurality of n data elements; the transposition is done along the main diagonal down of the matrix. The method has the following steps:
 - Rotate the contents of diagonals up $DH(i)$ of the original matrix to the right by the value of their index i . Where $i = 0$ to $m - 1$
 - Rotate the contents of every row $R(i)$ of the matrix resulted from previous step to the left by the value $(2m - 2i) \text{ MOD } m$. Where $i = 0$ to $m - 1$.

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- In the matrix resulted from previous step, swap the row $R(i)$ with the row $R(m - i - 1)$. Where $i = 1$ to $\lfloor \frac{m-1}{2} \rfloor$
4. In the method of claims 1,2, and 3, the data elements may be a word of size 8-bit, 16-bit, 32-bit, 64-bit, 128-bit, or larger in a SIMD computer.
 5. In the method of claims 1,2, and 3, the data elements may be blocks of memory in mesh-connected multi-processors, or any multi-processors that have two-dimensional array configuration.
 6. In the method of claims 1,2, and 3, the data elements may be blocks of memory cells in a memory array.
 7. Methods described in claims 1 and 2 can be used together back to back in a pipelined fashion to overlap steps and save execution cycles, when transposing a set of matrices, as follows:
 - Method of claim 1 starts a transpose by loading DH diagonals up, Rotate, and then Store DL diagonals down.
 - Method of claim 2 is used while method of claim 1 is still storing data. Since both methods of claims 1 and 2 use same DL diagonals in store and load state respectively, stages of load and store of different methods can process data concurrently.
 - Method of claim 2 starts loading data into the DL diagonal immediately after method of claim 1 stores data from the same DL diagonal.
 - Method of claim 2, then processes the rotation stage.
 - While Method of claim 2 is storing data using DH diagonals, method of claim 1 starts loading data into DH diagonals in the same manner described in the pervious item.
 - Repeat.
 8. Method of claim 7 is modified to use method of claim 2 for first transpose, then use method of claim 1 to overlap and repeat as described in claim 7.
 9. A set of registers that are mapped to the same two-dimensional memory array in a SIMD computer that the row registers have access to. This mapping is done according to the following mapping functions:

$$DL(i,j) = R((i+j) \text{ MOD } m, j)$$

$$DH(i,j) = R((m+i-j) \text{ MOD } m, j)$$

m: number of rows

i: row index 0 to m-1

j: column index 0 to n-1

R: two-dimensional array with row access

10. The claim 9 allows different sets of registers to share and access a two-dimensional memory array in a SIMD computer using row access pattern, diagonal up access pattern, or diagonal down access pattern.

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